

Obj: To create a unit circle with degree and radian measure and determine the measure of special angles

Hwk: Radian Measure worksheet

Read and take notes on Section 4.1

4.1 PA and Quarter 1 Test is coming ...

Do Now:

1. Get supplies:

1 red, brown, blue, green **COLORED PENCILS**

1 piece of green yarn

1 ruler

1 protractor

1 circle wksht w/ circle cut out

2. Pair up! **BRAINSTORM!** Name all the mathematical facts you know about circles

- Circle - all points a fixed distance from center
- Radius - distance from center
- Diameter: distance through center across circle
- Unit of measure: degrees
- Number of degrees in circle = 360°
- Circumference = perimeter = $2\pi r$
- Area = πr^2
- Equation of circle: $(x - h)^2 + (y - k)^2 = r^2$
- Infinitely symmetrical
- All circles are similar

Trigonometry: the study of triangles (3 sided figures) including angles and sides. First, we need to talk about how to **MEASURE** these angles and sides.

Unit circle-yarn activity:

1. Hold your circle so they form x-y axes. This represents a **UNIT CIRCLE** - a circle whose radius is ONE.
2. What is the perimeter (aka **circumference**) of this circle?
 - *Since the radius is one, that means the circumference of the circle is $2\pi r = 2\pi(1) = 2\pi$.*
3. Fold circle into fourths (on thin lines) . How big is each angle? **90°**. Open. Use **brown** pencil & ruler to make these "x & y"axes.
4. Starting at the positive x-axis, mark it **0°**. Using the pipe cleaner as a guide, and starting at **0°**, measure the length of one radius on the outside of the circle. Mark this! Continue marking off radii until you go around the perimeter/circumference of the circle.
How long is the circle (in terms of radii)? 6+ radii
Does this make sense with what you already know?
 - **Since perim. = circumference, 6+ markings = 2π*
5. On circle, mark off **0°**, **90°**, **180°**, **270°**, **360°**
6. In **brown**, mark off and label **π** and **2π** on your circle.
Where is π located? Does it make sense with what you know about π ? $\pi \approx 3.14$ (a little more than 3 units/radii)

7. What is the degree equivalent of π ?
 $180^\circ = \pi$. *Mark this on your circle.*
8. We already marked off π and 2π . What if we want to cut our circle into FOURTHS. How much would we have now? $\frac{\pi}{2}$ and $\frac{3\pi}{2}$. Label axes on circle in radians. What is the degree equivalent? $90^\circ = \frac{\pi}{2}$; $270^\circ = \frac{3\pi}{2}$
9. Fold circle into EIGHTHS (on thin line). How big is each angle? 45° Open. Using your protractor, mark off each angle and its measure in **red**. Then label circle with $\frac{\pi}{4}$, $\frac{3\pi}{4}$, $\frac{5\pi}{4}$, etc.
10. Fold circle into SIXTHS (on thin line). How big is each angle? 60° Open. Using your protractor, mark off each angle and its measure in **blue**. Label your new angles $\frac{\pi}{3}$, $\frac{2\pi}{3}$, $\frac{4\pi}{3}$, $\frac{5\pi}{3}$
11. Lastly, we want to divide the circle into TWELVES (remaining thin lines). How big is each angle? 30° Using your protractor, mark off each angle and its measure in **green**. Label the angles $\frac{\pi}{6}$, $\frac{5\pi}{6}$, $\frac{7\pi}{6}$, $\frac{11\pi}{6}$

Show students Radian Measure ditto.

How does this relate to circles, degrees, pi, etc? What are the radian/degree equiv. of special \angle s?