

Sunday, September 30, 2018  
4:50 PM

**KEY**

Precalc

1.5C: Analyzing Graphs of Functions

Obj: to analyze graphs to det. increasing/decreasing intervals, relative min/max, identify zeros and if even/odd/neither

Hwk: Finish 1.5 Functions (Day 3) worksheet

1.5 VC on SEPARATE sheet of paper

1.4-1.5 Quiz on FRI 9/28 - graphing calcs needed

Do Now:

Determine if each function is ODD, EVEN, or NEITHER.

Do you see a pattern? How can you check?

a.  $f(x) = x^2 - x^4$

$$f(-x) = (-x)^2 - (-x)^4 \\ = x^2 - x^4 \\ = f(x)$$

**Even**

b.  $g(x) = 2x^3 + 1$

$$g(-x) = 2(-x)^3 + 1 \\ = -2x^3 + 1$$

**Neither**

c.  $h(x) = 2 - x^6 - x^8$

$$h(-x) = 2 - (-x)^6 - (-x)^8 \\ = 2 - x^6 - x^8 \\ = h(x)$$

**Even**

d.  $j(x) = x^5 - 2x^3 + x$

$$j(-x) = (-x)^5 - 2(-x)^3 + (-x) \\ = -x^5 + 2x^3 - x \\ = -j(x)$$

**odd**

e.  $k(x) = x^5 - 2x^4 + x - 2$

$$k(-x) = (-x)^5 - 2(-x)^4 + (-x) - 2 \\ = -x^5 - 2x^4 - x - 2$$

**Neither**

One way to decide (ONLY w/ polynomial functions) -

EVEN - all even powers

ODD - all odd powers

(with no constant)

Recap:

Odd function:  $f(-x) = -f(x)$

i.e.  $f(-x)$  gives EXACT OPPOSITE of original  $f(x)$   
sym. wrt origin - reflected over x & y axis



Even function:  $f(-x) = f(x)$

i.e.  $f(-x)$  gives EXACT original function  
sym. wrt y-axis



Finishing up from yesterday:

Ex. 4) Determine whether  $g(x) = -\frac{x}{x^2+1}$  is even, odd, or neither

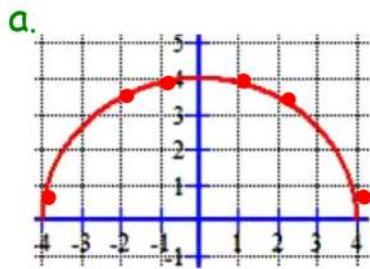
Test! Find  $g(-x)$

$$g(-x) = -\frac{(-x)}{(-x)^2+1} = \frac{x}{x^2+1} = -g(x)$$

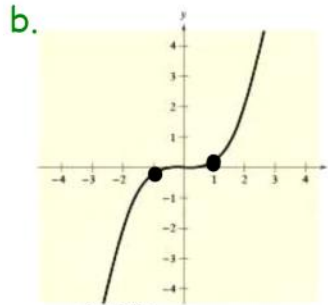
Since  $g(-x) = -g(x)$  the function is **ODD**.

∴ Symmetric about the origin.

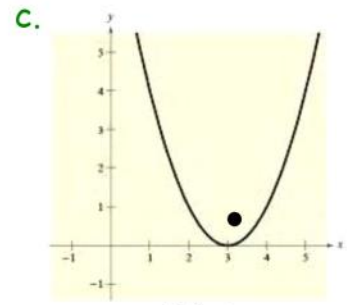
Ex. 5) Use the graph to determine if each is even, odd, or neither



**Even**  
 \* Symmetric about y-axis.  
 $(x, y) \quad (-x, y)$



**ODD**  
 \* Symmetric about the origin.  
 $(x, y) \quad (-x, -y)$



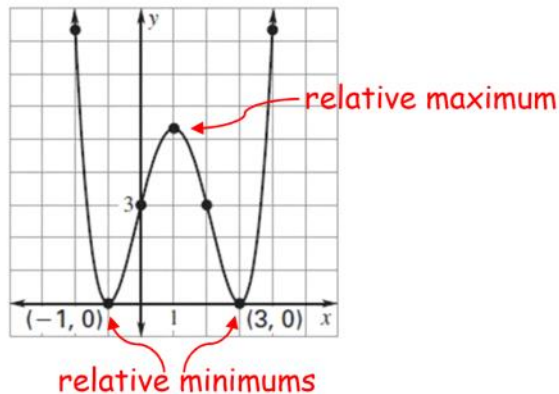
**Neither**  
 \* Not symmetric about y-axis or origin.

Show Pierre the Mountain Climbing Ant! 🐜

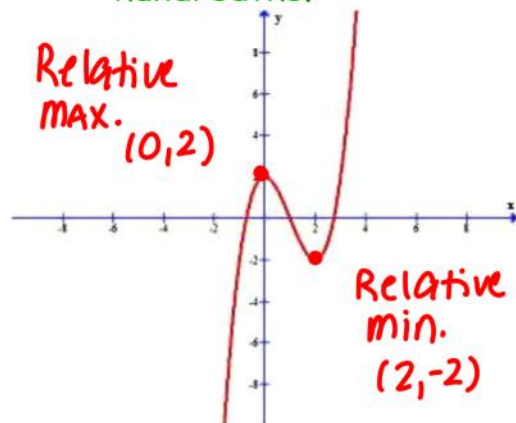
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The turning point can also be a relative minimum or a relative maximum.

- $f(a)$  is a **relative minimum** if the pt has the lowest y value in interval
- $f(a)$  is a **relative maximum** if the pt has the highest y value in interval



Ex. 1) Use a graphing utility to approx. the relative maximum and/or relative minimum of the function  $f(x) = x^3 - 3x^2 + 2$ . Round to hundredths.



Get into assigned groups! Work on ODD problems. Finish worksheet for homework.

\*Exit card at end of period.